Control Systems

EE3302

Chapter 1 An Introduction

Textbook: Control System Engineering, Norman S. Nise, 6th edition, Wiley

Course Objectives

The objectives of this course are:

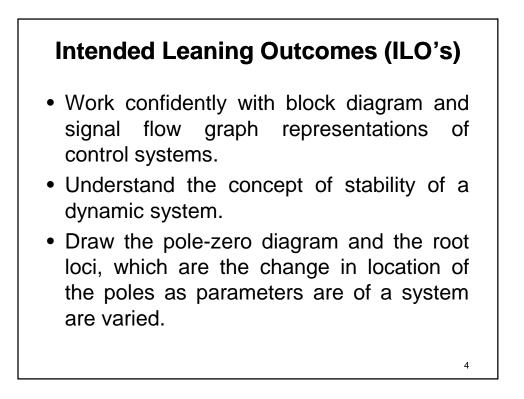
- To expose students to some important issues in the analysis and design of control systems.
- To use Software packages in the analysis and design of control systems.

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Intended Leaning Outcomes (ILO's)

After completing the course, the students should be able to do the following:

- Derive mathematical models of a variety of electrical and mechanical systems.
- Estimate time response of systems to impulse, step, ramp, and sinusoidal inputs from the transfer function.
- Identify simple systems and dominant response characteristics from time domain step-response data.



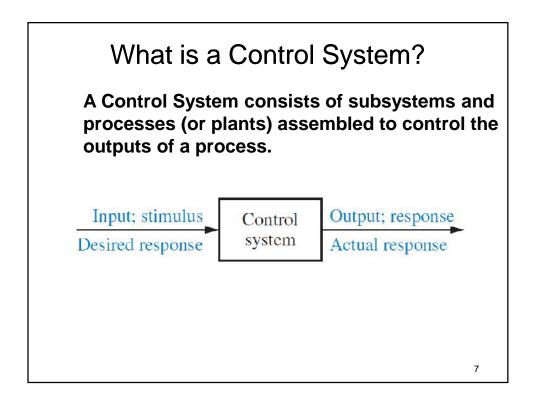
Intended Leaning Outcomes (ILO's)

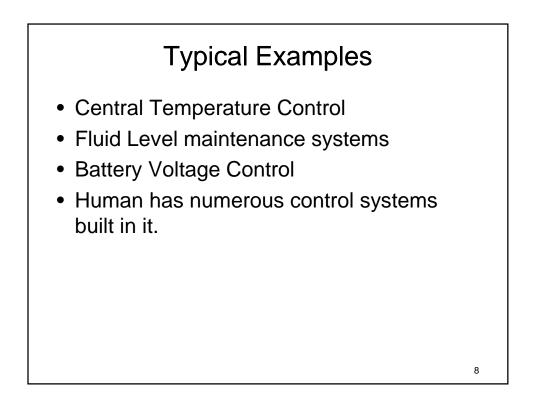
- Understand the meaning of proportional control, integral control, and derivative control, lag compensation, and lead compensation, and how to use them to achieve desired stability, steady-state error, and frequency response.
- To construct simple feedback circuits using op-amps.

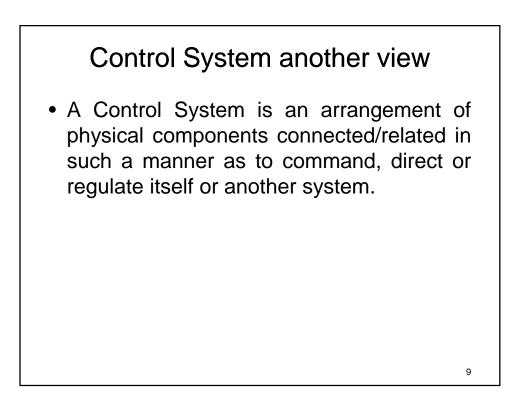
Intended Leaning Outcomes (ILO's)

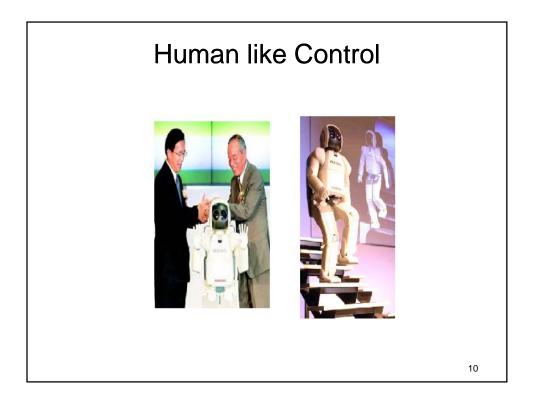
- Understand the basic structure of a digital control system, including a comprehension of issues such as Nyquist sampling theorem and aliasing as well as structure of Z-transform transfer functions.
- To use Simulation packages with facility to aid in the analysis and design of control systems.

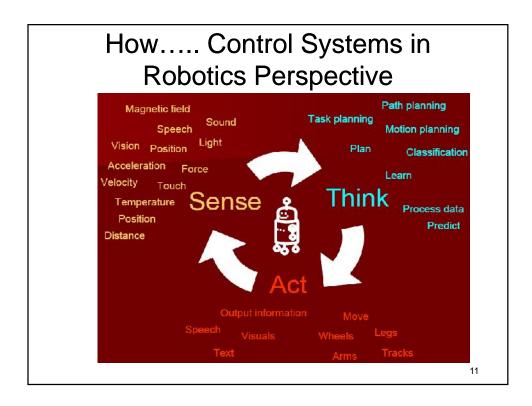
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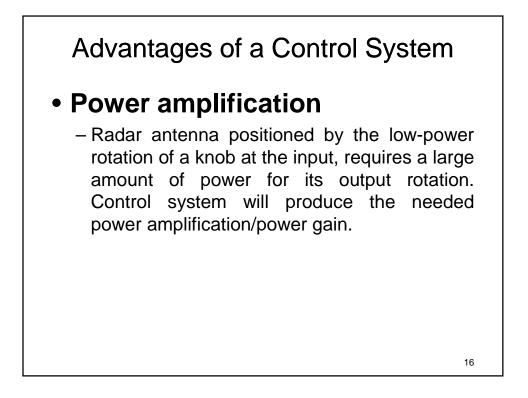






Control systems are divided into two classes:

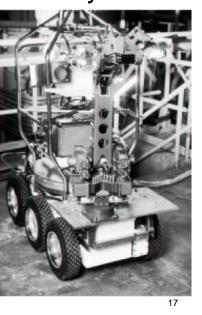
- a) If the aim is to maintain a physical variable at some fixed value when there are disturbances, this is a *regulator*.
 <u>Example</u>: speed-control system on the ac generators of power utility companies.
- b) The second class is the Servomechanism. This is a control system in which a physical variable is required to follow (track) some desired time function.
 <u>Example</u>: an automatic aircraft landing system, or a robot arm designed to follow a required path in space.

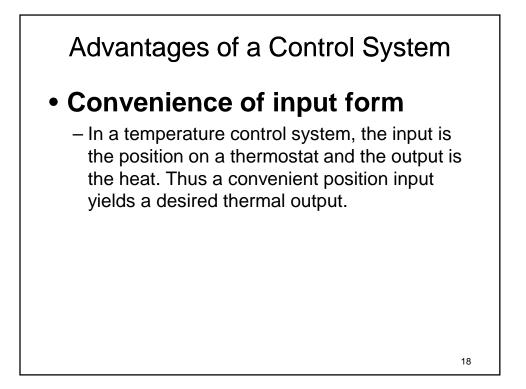


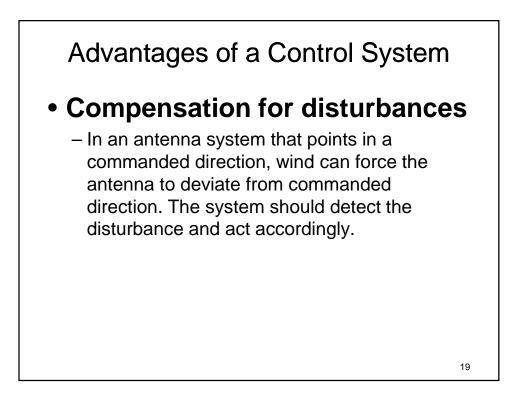
Advantages of a Control System

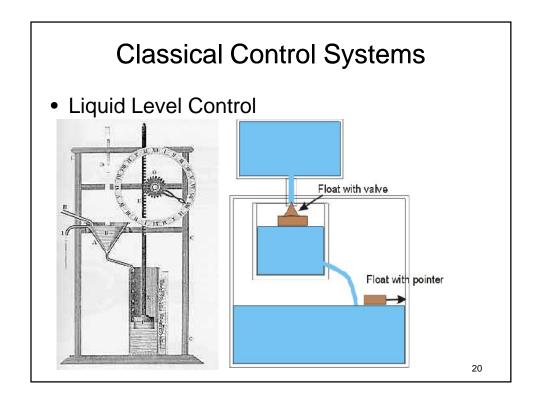
Remote control

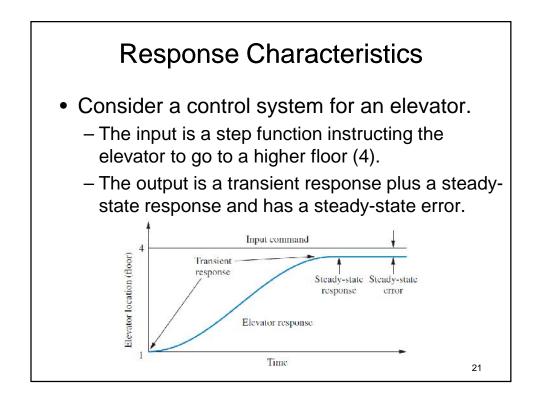
Rover was built to work in contaminated areas at Three Mile Island where a nuclear accident occurred in 1979.

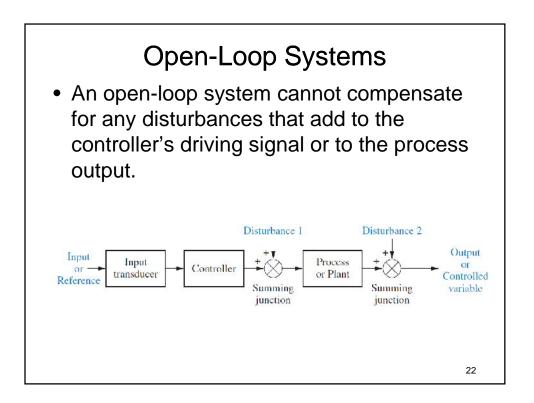


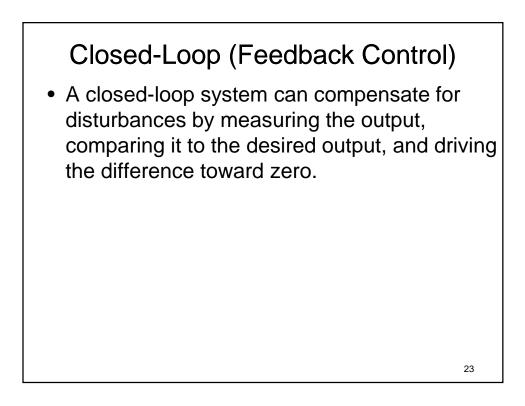


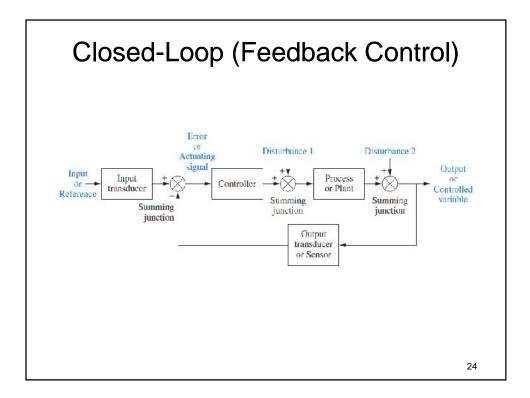


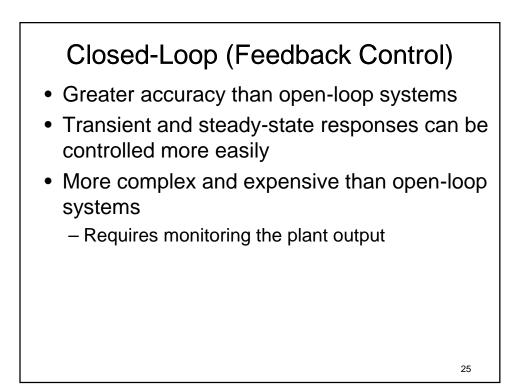


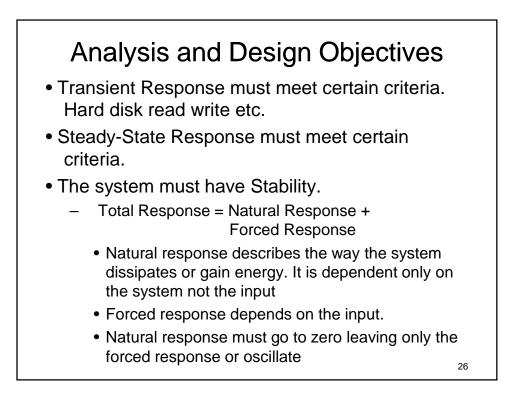


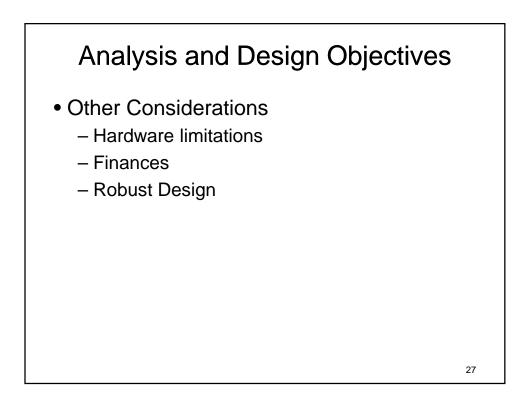


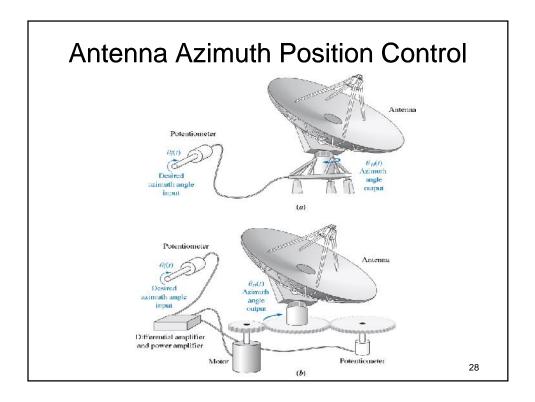


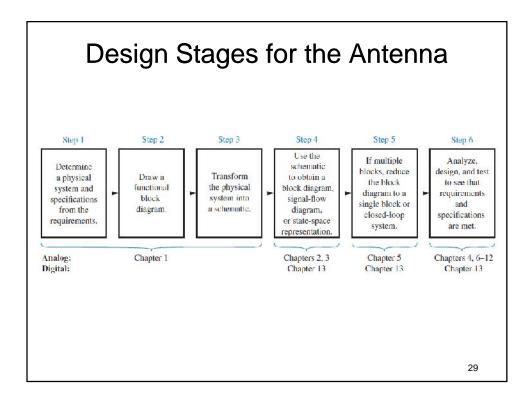


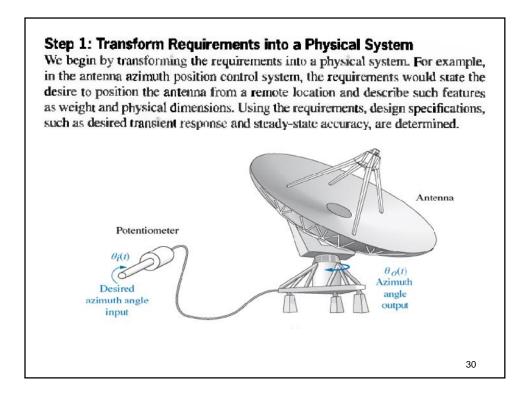


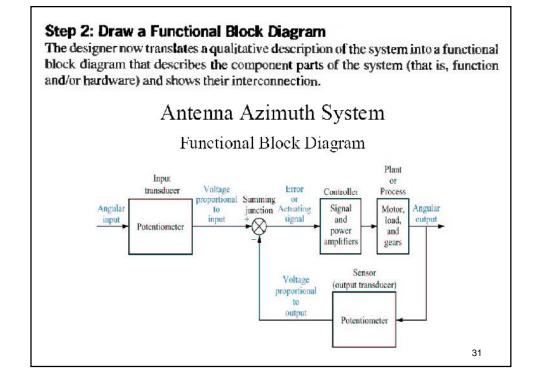


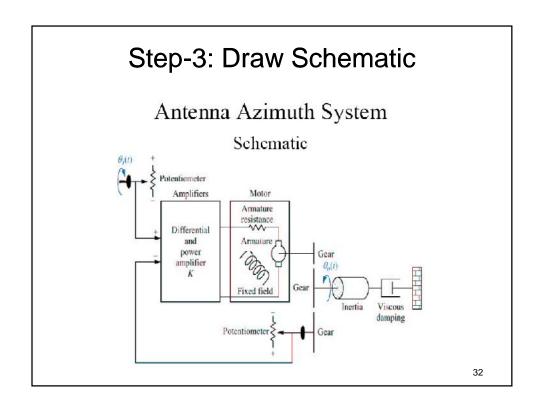


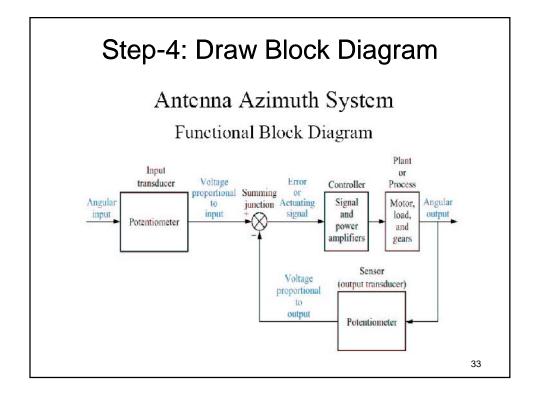


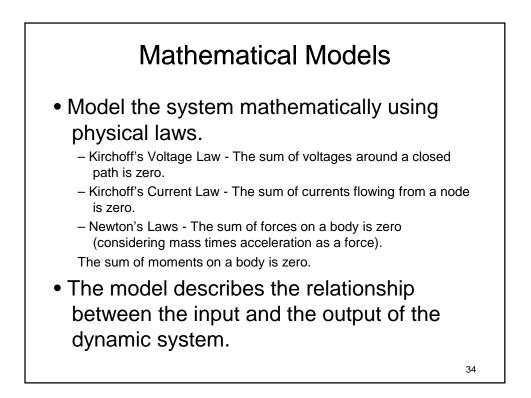




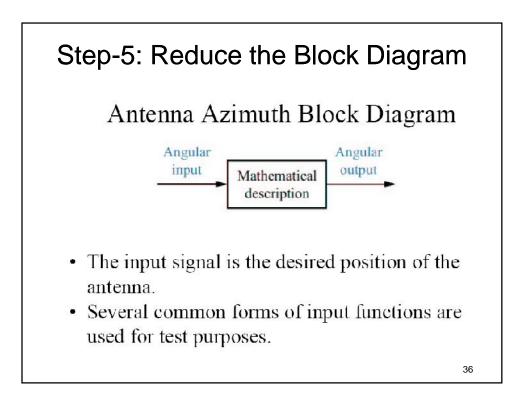


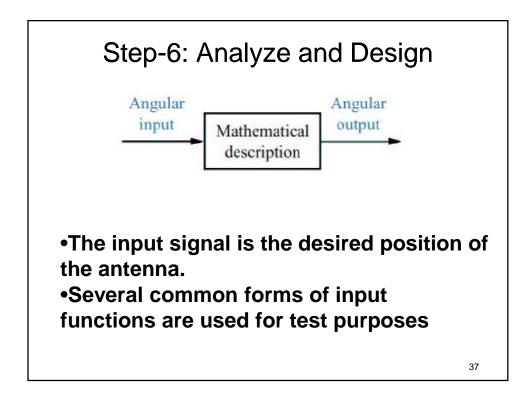






$$\frac{d^{m}c(t)}{dt^{m}} + a_{n-1}\frac{d^{m-1}c(t)}{dt^{m-1}} + \dots + a_{0}c(t)$$
$$= b_{m}\frac{d^{m}r(t)}{dt^{m}} + b_{m-1}\frac{d^{m-1}r(t)}{dt^{m-1}} + \dots + b_{0}r(t)$$
1) Linear, time-invariant differential equation.
2) Transfer function written using the Laplace transform.





nput	Function	Description	Sketch	Use
impul se	$\delta(t)$	$\begin{split} \delta(t) &= \infty \text{for } 0 - < t < 0 + \\ &= 0 \text{ elsewhere} \\ \int_{0-}^{0+} \delta(t) dt = 1 \end{split}$	f(t)	Transkent response Modeling
Step	<i>u</i> (1)	u(t) = 1 for t > 0 $= 0 for t < 0$	f(i)	Transient response Steady-state error
Ranp	tu(t)	$tu(t) = t$ for $t \ge 0$ = 0 elsewhere	<u>до</u>	i Steady-state error
Parabola	$\frac{1}{2}t^2u(t)$	$\frac{1}{2}t^2u(t) = \frac{1}{2}t^2 \text{ for } t \ge 0$ $= 0 \text{ elsewhere}$	R0	i Steady-state error
Sinusoid	sin at		R(t)	t Transient response Modeling Steady-state error

Why Control Systems? Engineering involves the study of design and analysis of engineering systems. Engineering systems are physical systems which could be modeled mathematically (mathematical models). Many engineering or physical systems are control systems.

Examples are: central heating system, auto pilot, robots, automobiles, etc.

• Software engineers often participate in the development of large softwares for control systems, e.g. software for the control of the space shuttle.